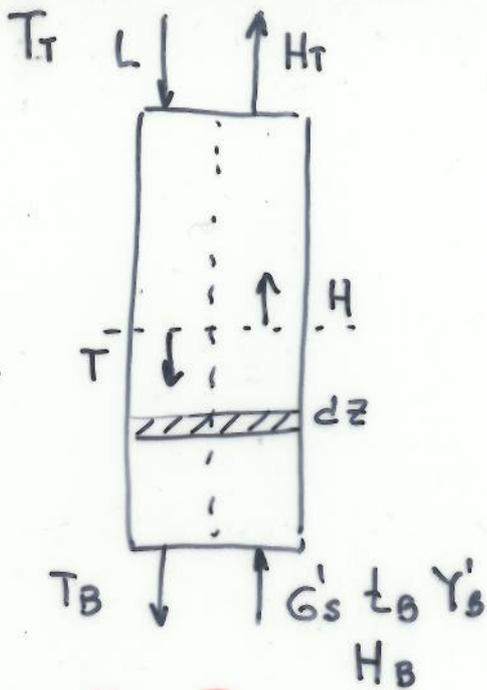


# Enfriamiento de Agua



$$T_B < T_T$$

$$H_T > H_B$$

Hipótesis:

$$L = \text{cte}$$

( $\Delta L$  1 al 3%)

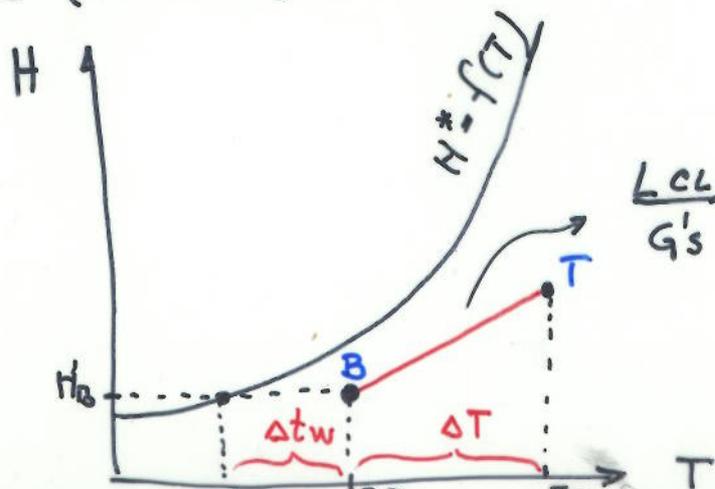
$$\lambda, c_s, c_L \neq f(t)$$

$$Le = \frac{h_g}{k_y c_s} = 1$$

$$t_{\text{ref}} = 0^\circ\text{C}$$

Balance de energía:

$$G'_s (H - H_B) = L c_L (T - T_B)$$



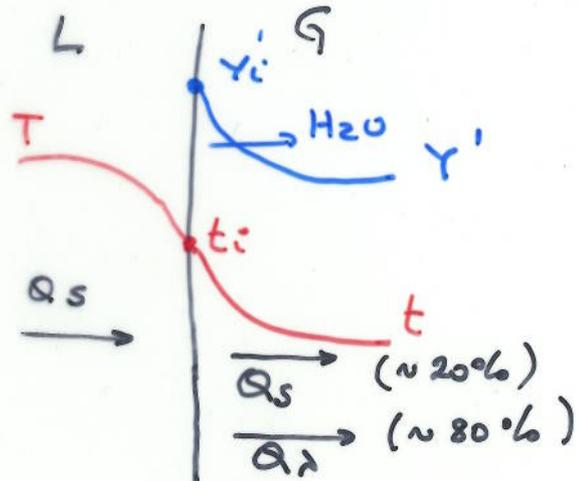
$$\Delta T = T_T - T_B$$

$$\Delta t_w = T_B - t_w$$

(aproximación a bulbo húmedo)

$$\approx 2,5^\circ\text{C a } 5^\circ\text{C}$$

Parte superior de la torre



En un  $dZ$ :

$$dQ = L c_L dT = G'_s dH =$$

$$= \left[ \underbrace{h_g a (t_i - t) dV}_{dQ_s} + \underbrace{k_y a \lambda (Y_i - Y') dV}_{dQ_\lambda} \right]_{\text{en el gas}}$$

con  $Le = 1$        $h_g = k_y c_s$   
 $\lambda \approx \lambda_0 \neq f(t)$   
 $c_s \neq f(t)$

$$L c_L dT_L = G'_s dH = k_y a dV [c_s (t_i - t) + \lambda (Y_i - Y')] = k_y a dV (H_i - H)$$

O sea:

$$\frac{k_y a}{L} \int_0^V dV = \int_{T_B}^{T_T} \frac{c_L dT}{H_i - H} = C = \frac{k_y a V}{L} = \frac{k_y a S_0 Z}{L}$$

característica requerida.

$$\frac{k_y a}{G'_s} \int_0^V dV = \int_{H_B}^{H_T} \frac{dH}{H_i - H} = \frac{k_y a V}{G'_s} = \frac{k_y a S_0 Z}{G'_s}$$

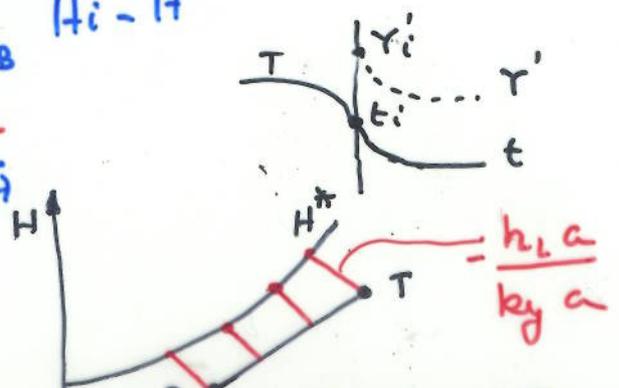
$$Z = \frac{G'_s}{k_y a S_0} \int_{H_B}^{H_T} \frac{dH}{H_i - H} = HTG \quad NTG$$

$H_i$ ?

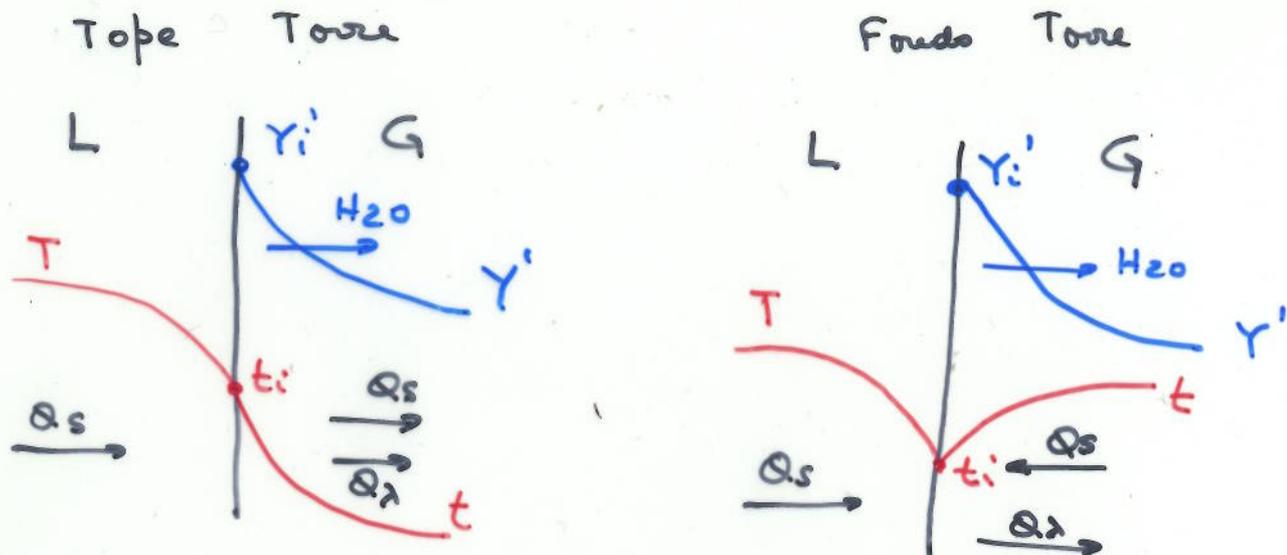
$$\boxed{L c_L dT = h_L a (T - t_i) dV} \quad \text{en } L$$

$$\boxed{= k_y a (H_i - H) dV} \quad \text{en } G$$

$$\boxed{\frac{H_i - H}{T - t_i} = - \frac{h_L a}{k_y a}}$$



# Perfiles $T, t$ ; $Y'$



El agua puede enfriarse a  $T < t_w$  a la del aire siempre que  $T > t_w$

Para el diseño de las torres de enfriamiento se calcula la  $C_R$  (característica requerida) para  $\neq$  valores de  $G$

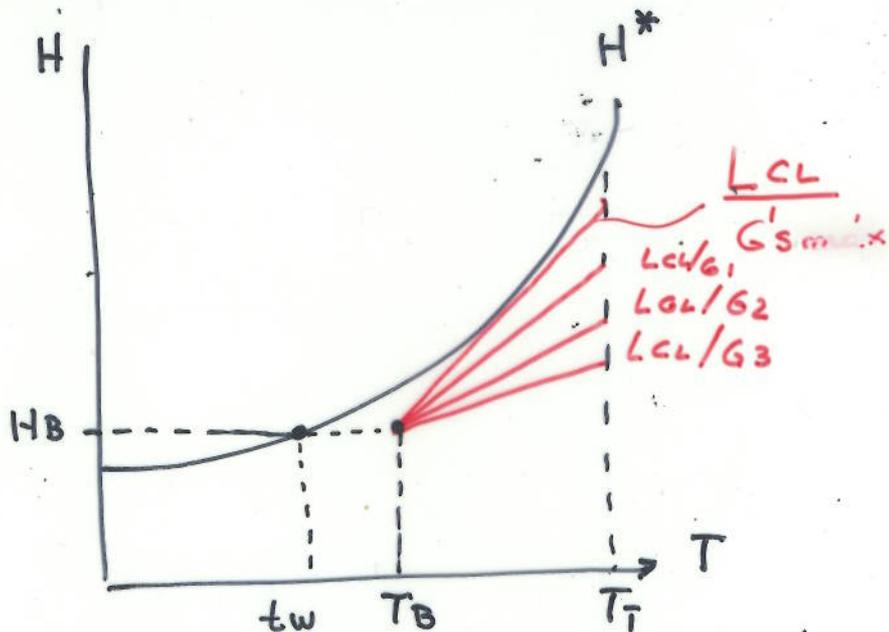
Los fabricantes entregan  $C_D$  (característica disponible) de sus rellenos también en función de  $L$  y  $G$ .

$L \rightarrow$  dato

$\Delta T \rightarrow$  dato

$H_B \rightarrow$  dato

En realidad  $T_B$  define con  $\Delta t_w$



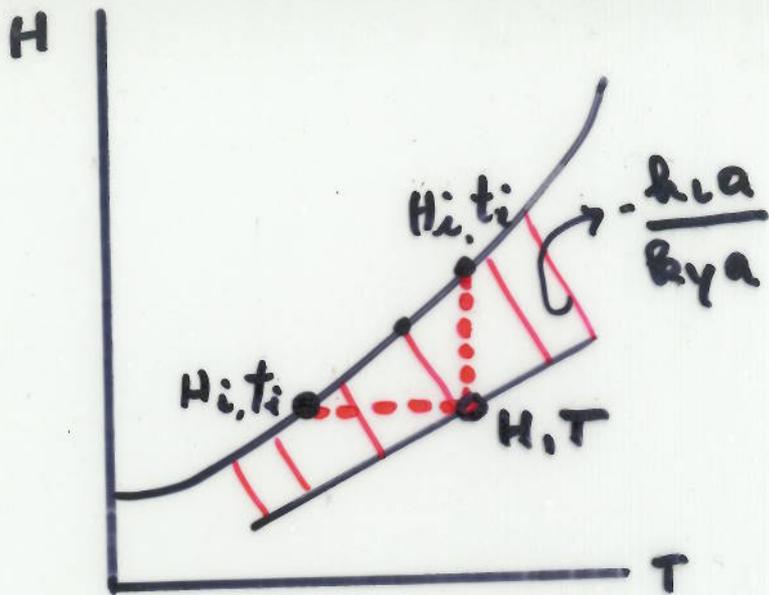
$$C_D = \frac{k_y a V}{L}$$

$$C_R = \int_{T_B}^{T_L} \frac{C_d dT}{H_i - H}$$

$C_D$  según relleno

$C_R$  (para  $\Delta t_w$  dado)

$$C_R = C_D$$



gotas:

$$\frac{h_{La}}{k_{ya}c_L} : 1,3 - 5$$

Película:

$$\frac{h_{La}}{k_{ya}c_L} : 10 - 160$$

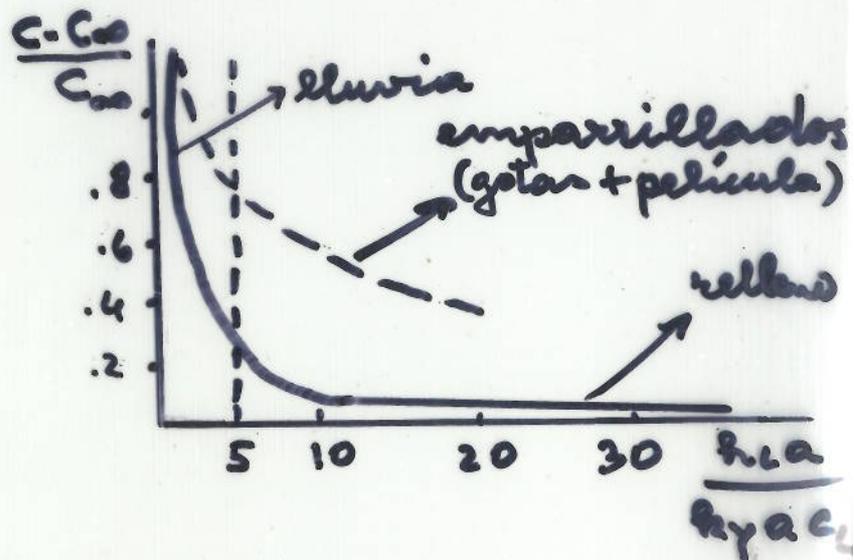
$$h_L \rightarrow 0 \quad \frac{1}{h_L} \rightarrow \infty \quad t_i = t_w \quad (H_i - H) = 0$$

$$h_L \rightarrow \infty \quad \frac{1}{h_L} \rightarrow 0 \quad t_i = T \quad H_i = H_s = H_T^*$$

$(H_i - H) = (H^* - H) = \text{máx.}$

$$C_{\infty} = \int_{T_B}^{T_i} \frac{c_L dT}{H^* - H} = \frac{k_{ya}V}{L}$$

$$C = \int_{T_B}^{T_i} \frac{c_L dT}{H_i - H} = \frac{k_{ya}V}{L}$$

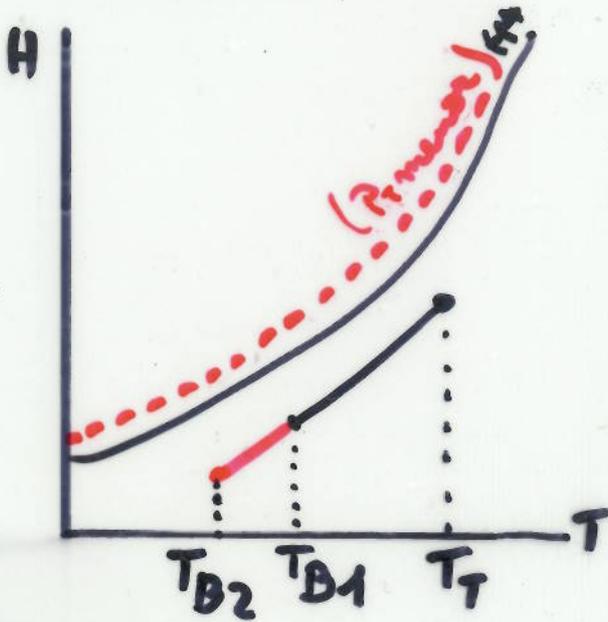


- En torres de película  $\frac{C - C_{\infty}}{C_{\infty}} < 2\% \Rightarrow C \cong C_{\infty}$

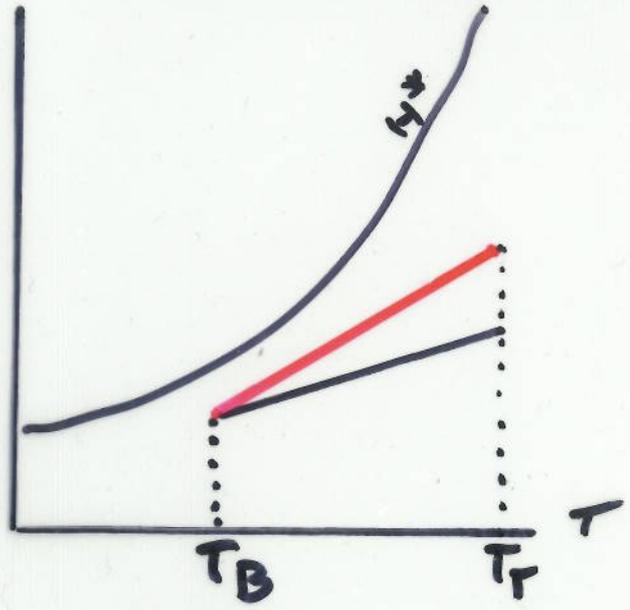
$t_i, Y_i, H_i$  sobre la curva de equilibrio.

Dependen de  $h_L, k_{ya}, H, T$

$$\Delta T_2 > \Delta T_1$$

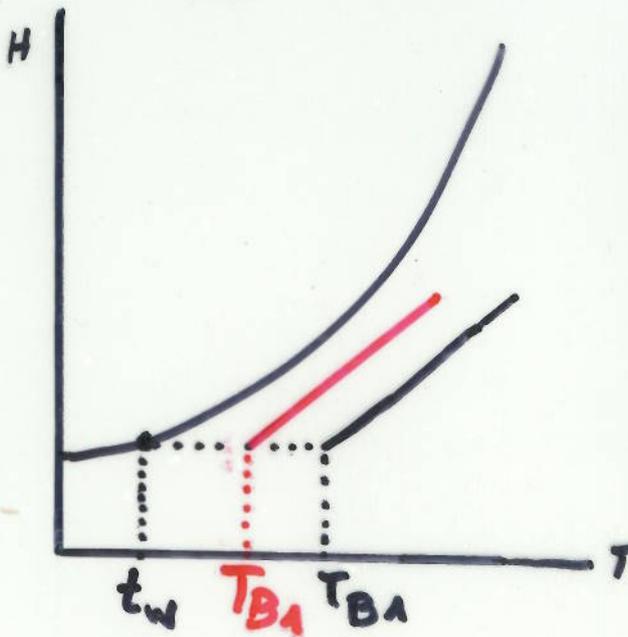


$$(L/G_s)_2 > (L/G_s)_1$$

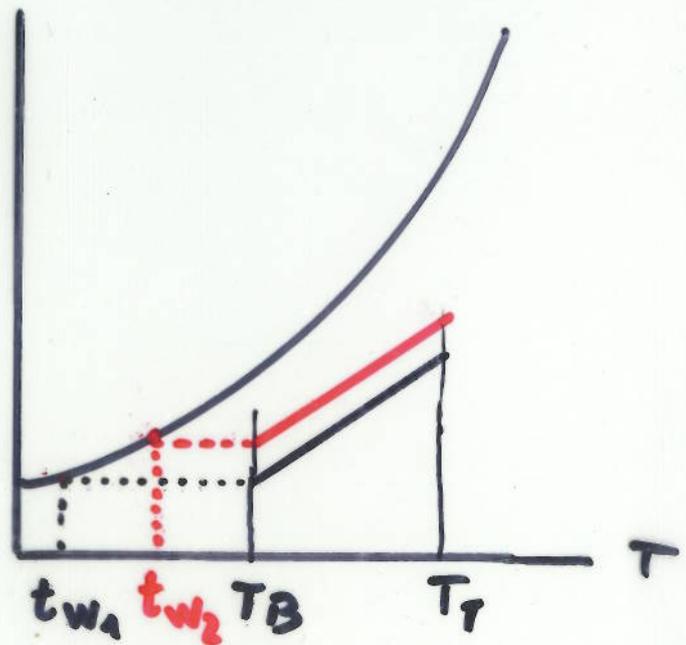


## Performance o Rendimiento

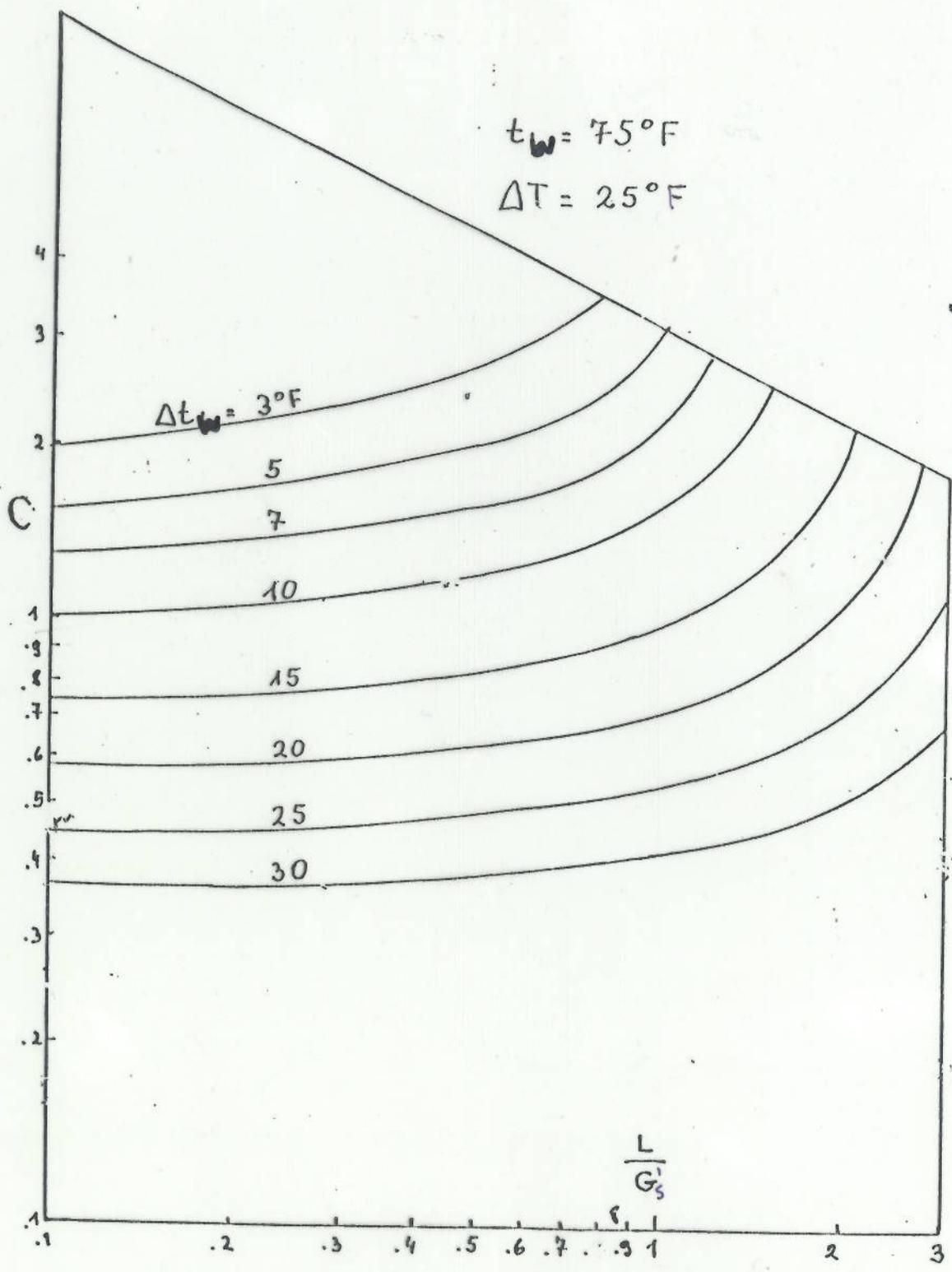
$$\Delta t_{w2} < \Delta t_{w1}$$



$$t_{w2} > t_{w1}$$

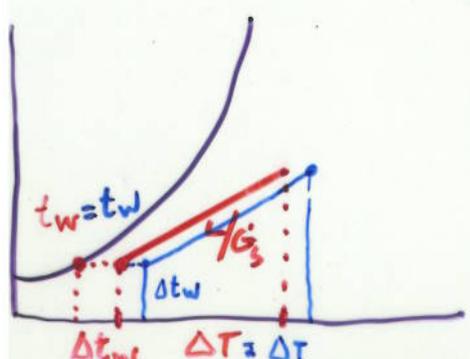


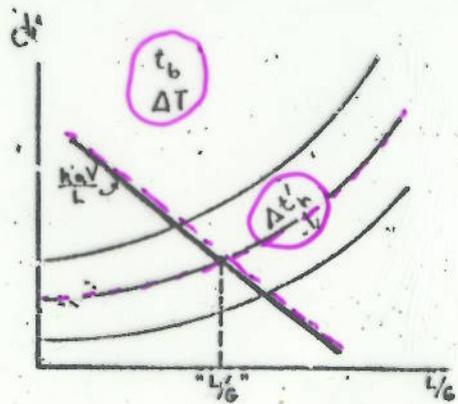
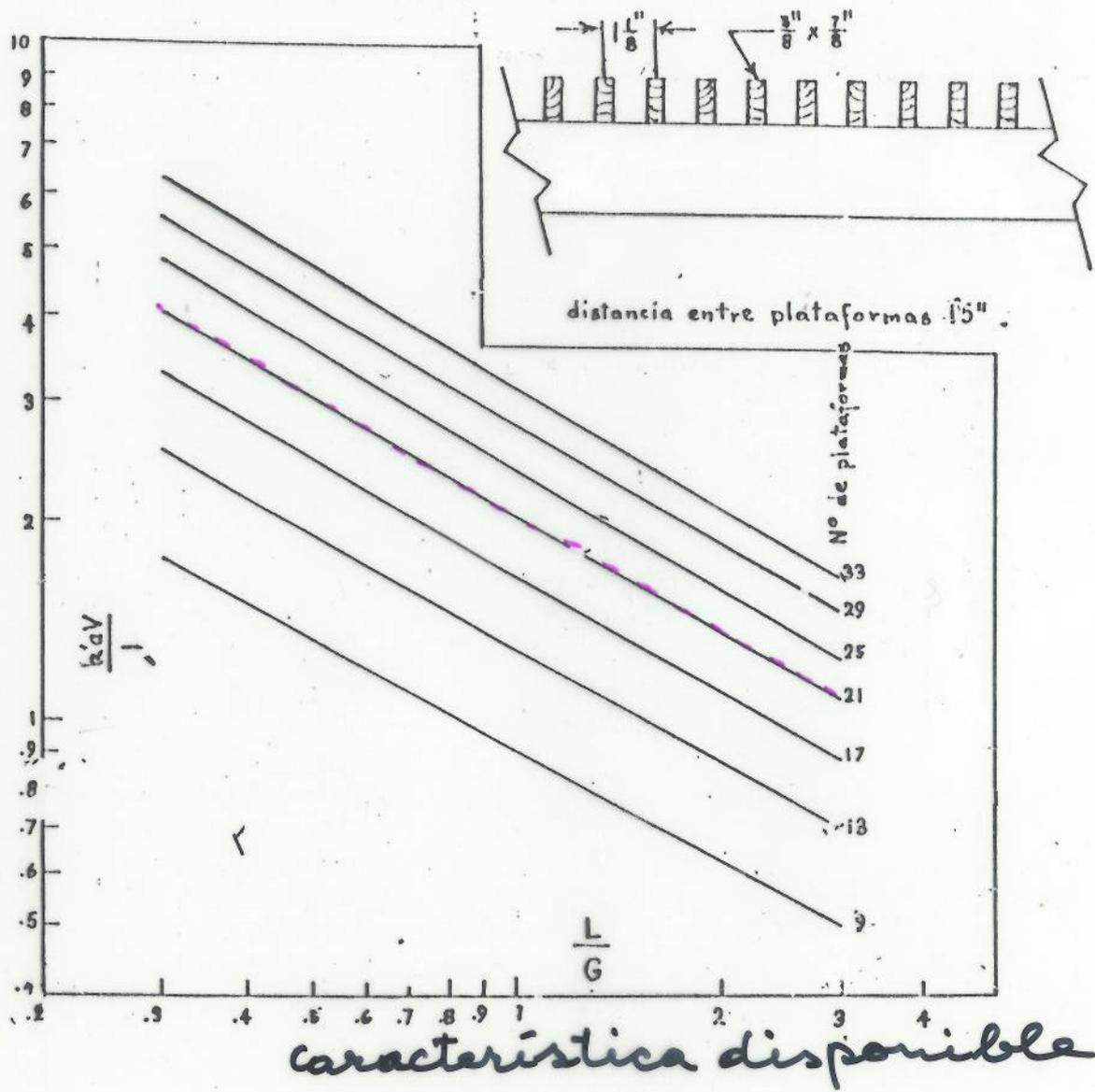
Variable operativa:  $G'_s$



curvas teóricas de performance

$$C = \int_{T_B}^{T_T} \frac{c_L dT}{H^* - H} = f(\Delta T, \Delta t_w, \frac{L}{G_s}, t_w)$$





# Método de Mickley: Evolución del aire

## H vs. t

$$H = c_s(t - t_0) + \lambda_0 Y'$$

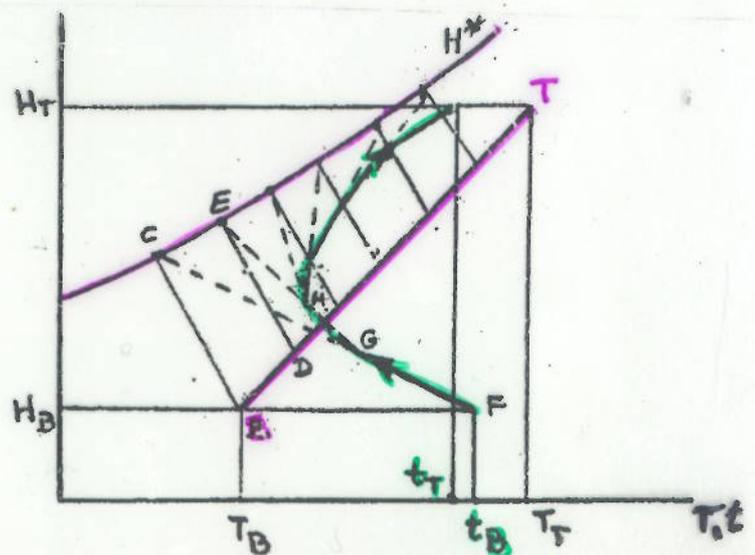
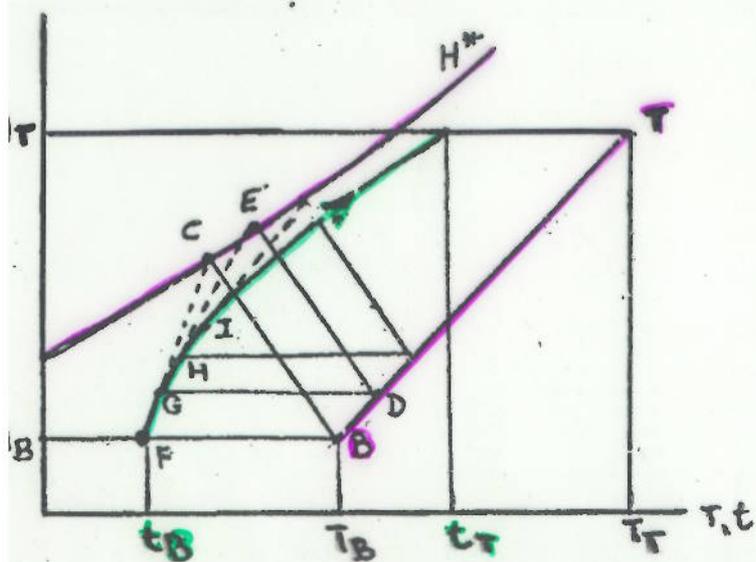
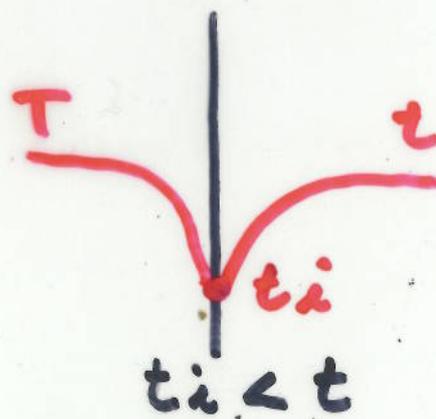
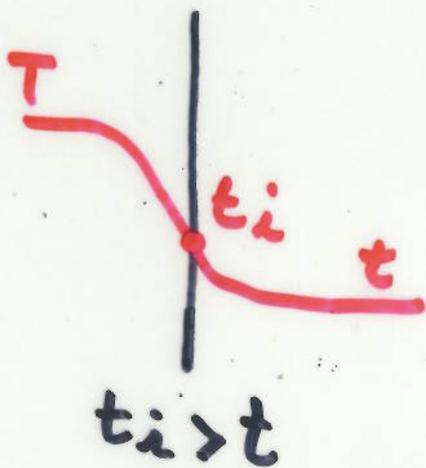
$$dQ = G'_s dH = h_a a (H_i - H) dV$$

$$dQ_s = G'_s c_s dt = h_a a (t_i - t) dV$$

$$\frac{dH}{c_s dt} = \frac{h_a a}{h_a a} \frac{H_i - H}{t_i - t}$$

$$Le = \frac{h_a}{k_a c_s} = 1$$

$$\therefore \frac{dH}{dt} = \frac{H_i - H}{t_i - t}$$



# Aplicación

Datos:

V

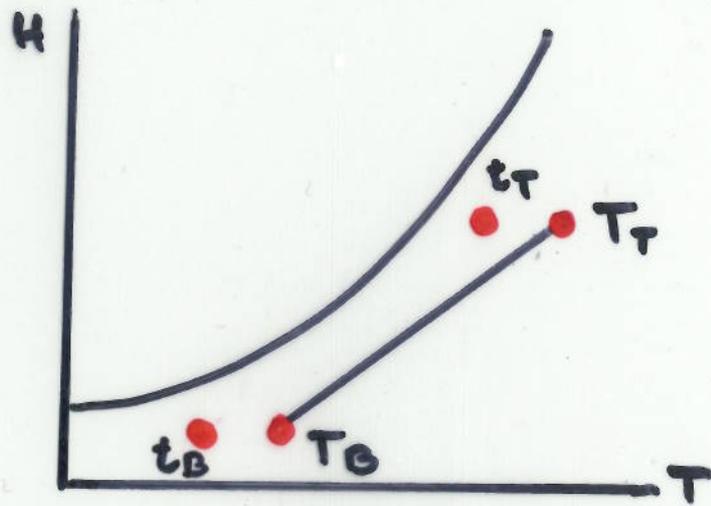
$G'_s$

L

$T_T$   $T_B$

$t_T$   $t_B$

$t_w$



1) Determinación de coeficientes.

a) suponer  $h_{1a}/k_{1a}$  y trazar "Michkey"  
Repetir hasta lograr  $t_T$

b) Calcular

$$\int_{H_B}^{H_T} \frac{dH}{H_i \cdot H} = \frac{k_{1a} V}{G'_s} \Rightarrow k_{1a}$$

c) de  $-\frac{h_{1a}}{k_{1a}} \Rightarrow h_{1a}$

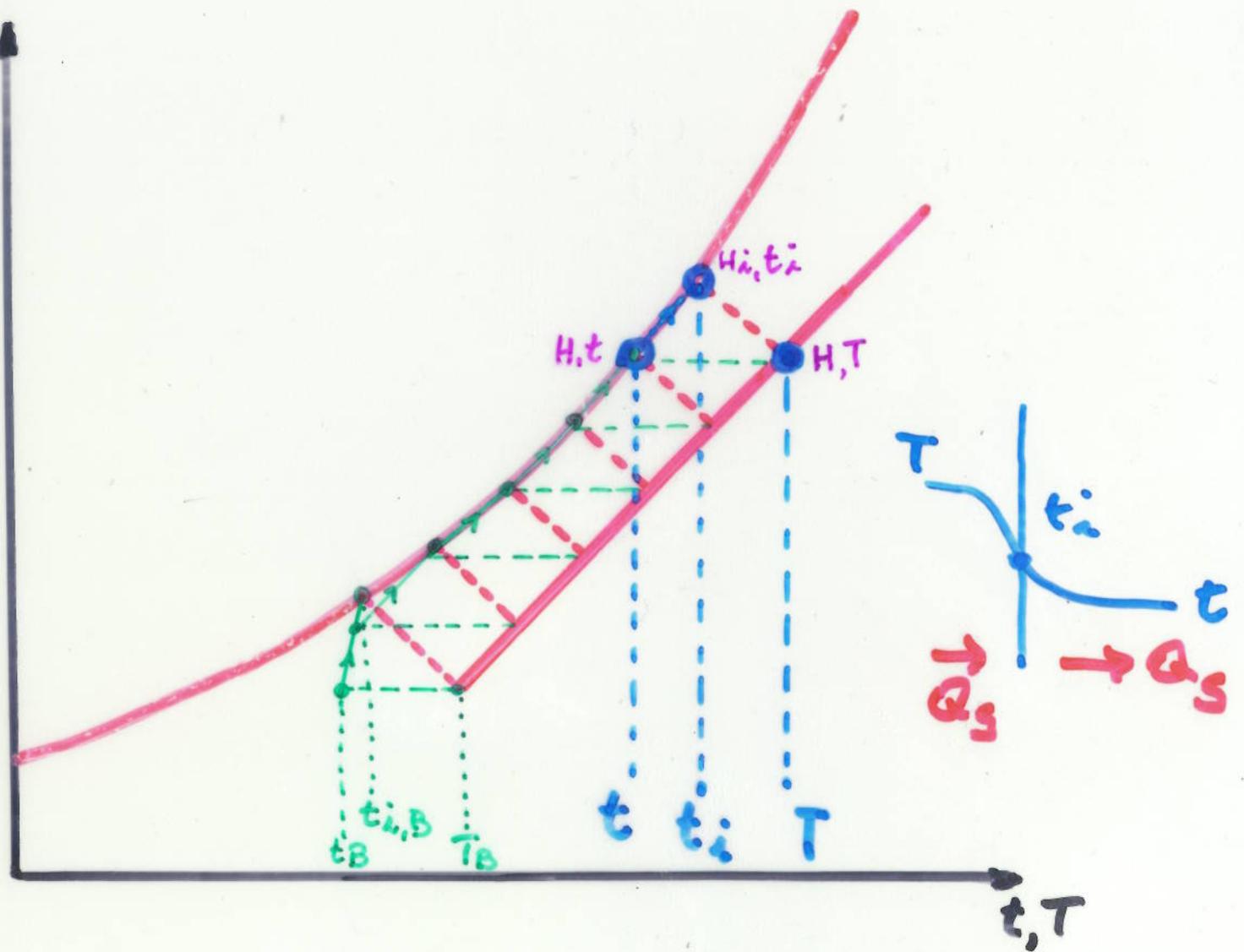
d) de  $Le = \frac{h}{k_2 c_s} \Rightarrow h$

2) Agua de reposición

$$H_T = c_s (t_T - t_0) + \lambda_0 Y_T' \Rightarrow Y_T'$$

$$L = G'_s (Y_T' - Y_0) \approx G'_s Y_T'^*$$

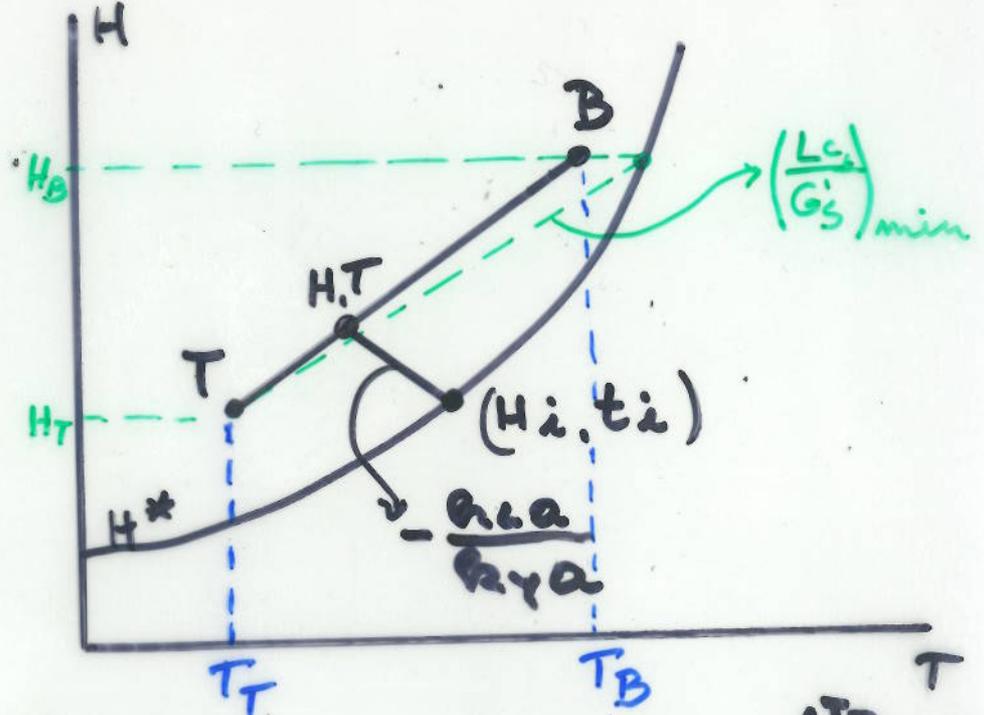
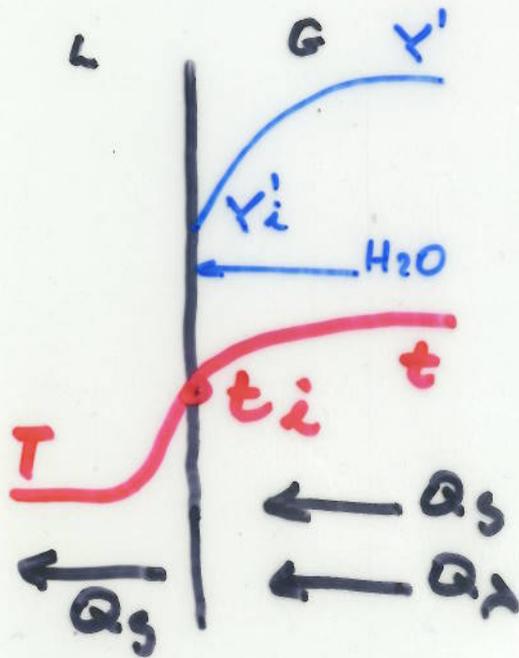
3) Formación de Nubes



Formación de Niebla

# Deshumidificación

$$dQ = k_y a (H - H_i) dV$$



$$\int_{H_T}^{H_B} \frac{dH}{H - H_i} = \frac{k_y a V}{G'_s} \quad \frac{k_y a V}{L} = \int_{T_T}^{T_B} \frac{c_p dT}{H - H_i}$$

